

**Economics I; 2016/2017**

**Appeal Period Exam**

**30th January 2017**

**Solutions**

**Part A (7 marks)**

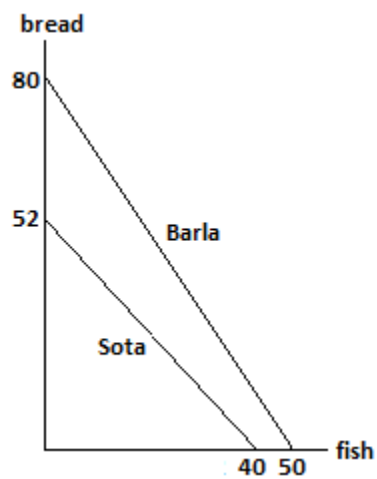
<b>version</b>	<b>P1</b>	<b>P2</b>	<b>P3</b>	<b>P4</b>	<b>P5</b>	<b>P6</b>	<b>P7</b>	<b>P8</b>	<b>P9</b>	<b>P10</b>	<b>P11</b>	<b>P12</b>	<b>P13</b>	<b>P14</b>
<b>A</b>	c	a	d	c	a	b	c	b	d	d	d	c	c	d
<b>B</b>	c	b	d	d	a	b	a	d	c	c	d	a	c	d
<b>C</b>	a	b	b	d	b	a	d	c	c	a	d	b	b	a
<b>D</b>	c	a	a	a	c	d	d	c	b	a	a	b	a	a

**Part B (13 marks)**

1.

a)

Using the information about the maximum quantities of each good that each country can produce if it produces nothing of the other good, the ppf for the two countries are those in the figure below.



b) The opportunity cost of fish in terms of bread expresses the quantity of bread that the country must forgo in order to produce one more unit of fish.

*Barla:*

$$OC_{\text{fish, bread}} = -(-\Delta\text{bread}/\Delta\text{fish}) = -(-80/50) = 1,6 \text{ f.u. bread/fish}$$

*Sota:*

$$OC_{\text{fish, bread}} = -(-\Delta\text{bread}/\Delta\text{fish}) = -(-52/40) = 1,3 \text{ u.f. bread/fish}$$

c)

*Barla* has absolute advantage in the production of both goods, because with the same amount of resources it produces more of each of the goods than *Sota*.

Sota has comparative advantage in the production of fish: its opportunity cost of fish in terms of bread is inferior than the opportunity cost of fish in terms of bread in *Barla*. Conversely, *Barla* has comparative advantage in the production of bread: to produce one more unit of bread in *Barla*, it is necessary to forgo 0,525 (50/80) units of fish, which is less than what is necessary to forego in *Sota* ( $0.769 = 40/52$  fish/bread).

## 2.

a)  $Q^D(p) = Q^S(p)$

$$40 - 2p = 4p - 20$$

$$p^* = 10$$

$$Q^D(10) = Q^S(10) = Q^* = 20.$$

b)

The tax,  $t$ , of 3€ per traded unit corresponds to the difference between the price paid by the consumers and the price received by the producers:  $p^d = p^s + t$ . In this case,  $p^d = p^s + 3$ .

The equilibrium:

$$Q^D(p^d) = Q^S(p^s)$$

$$40 - 2p^d = 4p^s - 20$$

Because  $p^d = p^s + 3$ :

$$40 - 2(p^s + 3) = 4p^s - 20$$

$$p^s = 9$$

Because  $p^d = p^s + 3$ ,  $p^d = 12$ .

$$Q^D(p^d) = Q^S(p^s) = Q^*$$

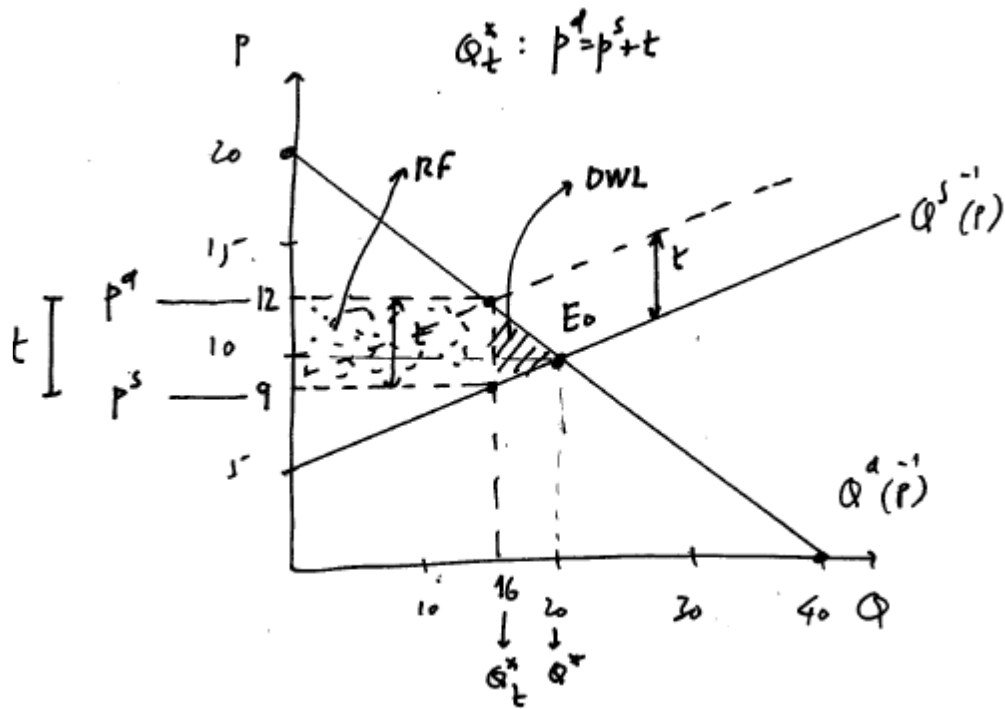
$$Q^* = 40 - 2p^d = 4p^s - 20$$

$$Q^* = 40 - 2 \cdot 12 = 4 \cdot 9 - 20 = 16$$

c)

$$\text{Fiscal Revenue} = 3 \times 16 = 48 \text{ u.m.}$$

$$\text{Deadweight Loss} = (12-9) \times (20-16)/2 = 6 \text{ u.m.}$$



3.

a)

Because there are fixed costs – if the firm produces zero, total cost is 2 - it means that there are fixed inputs, which happens only in the short-run.

b)

$$VC = 0,5 \cdot Q^2 + Q$$

$$ATC = TC/Q = 0,5 \cdot Q + 1 + 2/Q$$

$$AVC = VC/Q = 0,5 \cdot Q + 1$$

$$MC = \Delta TC / \Delta Q = \Delta VC / \Delta Q = Q + 1$$

c)

The supply curve of the individual firm is

$$p = MC, \quad p > AVC$$

$$p = Q + 1 \Leftrightarrow Q = p - 1,$$

$$p > AVC \Leftrightarrow MC = Q + 1 > 0,5 \cdot Q + 1$$

The condition  $p > AVC$  is, in this case, valid for any  $Q$ .

The supply curve of the firm is, therefore:

$$Q^s_{\text{firm}} = p - 1$$

Because there are 10 000 identical firms, the market supply will be:

$$Q^s_{\text{market}} = 10\,000 \cdot Q^s_{\text{firm}}$$

$$Q^s_{\text{market}} = 10\,000 \cdot p - 10\,000$$

d)

$$Q^S(p) = Q^D(p)$$

$$10\,000 \cdot p - 10\,000 = 70\,000 - 10\,000 \cdot p$$

$$20\,000 \cdot p = 80\,000$$

$p^* = 4$ , Equilibrium price.

$$Q^S(4) = Q^D(4) = Q^*$$

$$10\,000(4) - 10\,000 = 70\,000 - 10\,000(4) = \dots = 30\,000 = Q_{\text{market}}^*, \text{ equilibrium market quantity.}$$

The equilibrium **individual firm quantity**  $Q_{\text{firm}}^*$ , considering that there are 10 000 firms in the market, is:

$$Q_{\text{market}}^* / 10\,000 = 30\,000 / 10\,000 = 3 = Q_{\text{firm}}^*$$

$$\text{Each firm's profit is } P^* \cdot Q_{\text{firm}}^* - (0,5 \cdot 3^2) - 3 - 2 = 4 \cdot 3 - 4,5 - 3 - 2 = 2,5 \text{ m.u}$$